

# Design Methodology

- 1) Create a drawing that includes all important components: motor, battery, landing gear, payload, receiver, speed control, data recorder, servos

Show dimensions, and cross-sections of the fuselage to show that everything fits.

2) sizing  $W_0 = \text{takeoff weight} = \frac{W_{\text{payload}}}{1 - \frac{W_{\text{empty}}}{W_{\text{takeoff}}}}$

notice recursive definition: requires iteration

\* all "W" are in kg

~~if~~, if you use  $\frac{W_e}{W_0} = 0.88 (W_0)^{-0.05}$

for a powered sailplane, this should be a good approx.

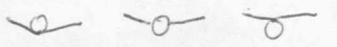
3) in cruise,  $L = W$  so  $C_L = \frac{W_0}{\frac{1}{2} \rho V^2 S}$

lift  $\rho$  density of air,  $V$  velocity,  $S$  wing area

for a given airfoil you can find  $C_D$  for a given  $C_L$  see chart.

- 4) select wing & tail geometry - sweep, incidence, twist, dihedral, aspect ratio, taper ratio
- AR  $\lambda$

dihedral guide: low mid high



5 to 7° 2 to 4° 0 to 2°

wing tips: 

or 

etc.

remember  $C_{D,i} = \frac{C_L^2}{\pi \cdot AR} (1 + \delta)$  see chart for  $\delta$  based on  $\lambda$  and AR

$\lambda \approx 0.4$  is best for approximating an elliptical lift distribution



5) More advanced, airfoil selection

choose based on Reynold's number "Re"

and thickness ratio  $\frac{t}{c}$

use  $\rho = 1.225 \frac{\text{kg}}{\text{m}^3}$  density  
 velocity  
 length (chord)  
 $Re = \frac{\rho V D}{\mu}$   
 viscosity (use  $3.74 \times 10^{-7}$ )

thinner (low  $\frac{t}{c}$ ) may have lower drag, in the end you want to maximize  $\frac{L}{D}$

or  $\frac{C_L}{C_D}$  when  $C_{D,p} = C_{D,i}$ ,  $\frac{L}{D}$  is maximum

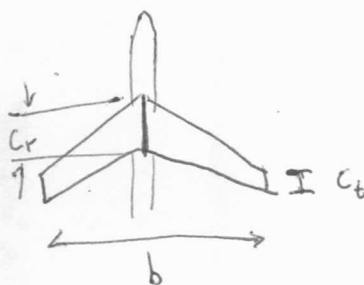
off airfoil chart

$C_{D,i} = \frac{C_L^2}{\pi \cdot AR} (1 + \delta)$  from previous page

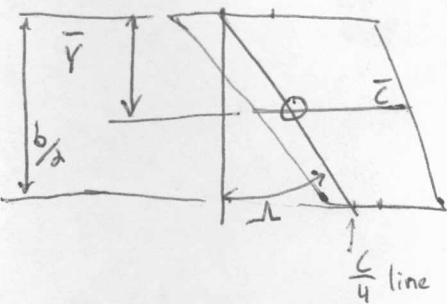
Geometry Selection

trapezoidal reference wing

$\frac{C_t}{C_r} = \lambda$  taper ratio



note: overlaps fuselage, and this is fine for this stage



$\lambda =$  sweep angle of  $\frac{c}{4}$  line

$\bar{Y} = \frac{b}{6} \left[ \frac{1+2\lambda}{1+\lambda} \right]$

$\bar{c} =$  aerodynamic mean chord

the  $\frac{\bar{c}}{4}$  point is where you model the lift force location

each  $10^\circ$  of sweep is about the same as  $1^\circ$  of dihedral for stability.



## — Things to keep in mind

### Stall characteristics

sweep, thickness ratio of airfoil, tail position

### landing characteristics

landing gear arrangement (tail dragger, trike, etc.), flaps

### handling characteristics / stability

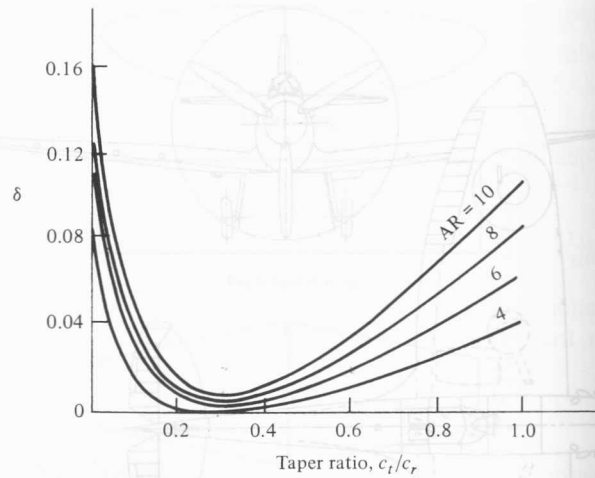
dihedral, tail surfaces, center of gravity

V, T tail, etc.

$$- \text{Score} = (\text{velocity})^{1.3} \left( \frac{\text{meters}}{\text{Joule}} \right) (\text{payload})^{0.6}$$

To make your design better, change one variable and re-evaluate your projected score. This is the process of "trade studies."





**Figure 5.20** Induced drag factor  $\delta$  as a function of taper ratio. (Source: McCormick, B. W., *Aerodynamics, Aeronautics, and Flight Mechanics*, John Wiley & Sons, New York, 1979.)

were measured. The data are given in Figure 5.21. Recall from Equation (5.4) that the total drag of a finite wing is given by

$$C_D = c_d + \frac{C_L^2}{\pi e AR} \quad (5.63)$$

The parabolic variation of  $C_D$  with  $C_L$  as expressed in Equation (5.63) is reflected in the data of Figure 5.21. If we consider two wings with different aspect ratios  $AR_1$  and  $AR_2$ , Equation (5.63) gives the drag coefficients  $C_{D,1}$  and  $C_{D,2}$  for the two wings as

$$C_{D,1} = c_d + \frac{C_L^2}{\pi e AR_1} \quad (5.64a)$$

and

$$C_{D,2} = c_d + \frac{C_L^2}{\pi e AR_2} \quad (5.64b)$$

Assume that the wings are at the same  $C_L$ . Also, since the airfoil section is the same for both wings,  $c_d$  is essentially the same. Moreover, the variation of  $e$  between the wings is only a few percent and can be ignored. Hence, subtracting Equation (5.64b) from (5.64a), we obtain

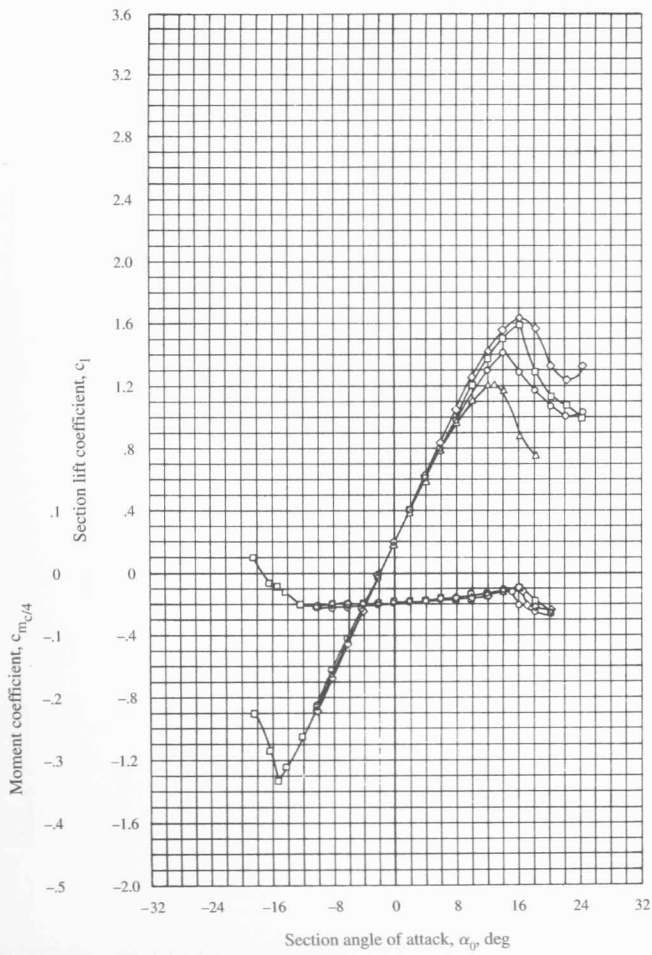
$$C_{D,1} = C_{D,2} + \frac{C_L^2}{\pi e} \left( \frac{1}{AR_1} - \frac{1}{AR_2} \right) \quad (5.65)$$

Equation (5.65) can be used to scale the data of a wing with aspect ratio  $AR_2$  to correspond to the case of another aspect ratio  $AR_1$ . For example, Prandtl scaled

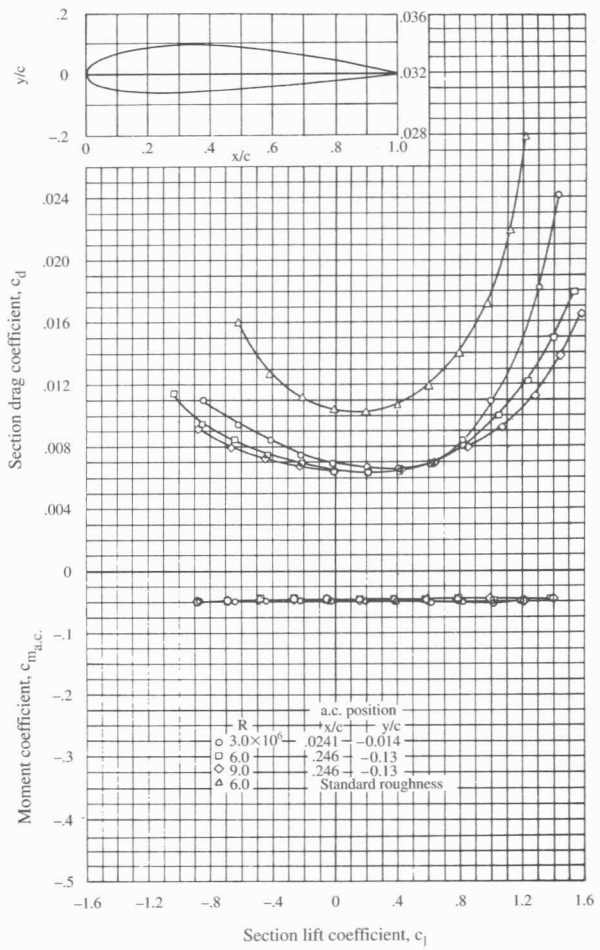
the data of Figure 5.21 to the case, Equation (5.65)

Inserting the result into Equation (5.66), Prandtl obtained essentially the same dependence of  $C_{D,i}$  on  $C_L$ .

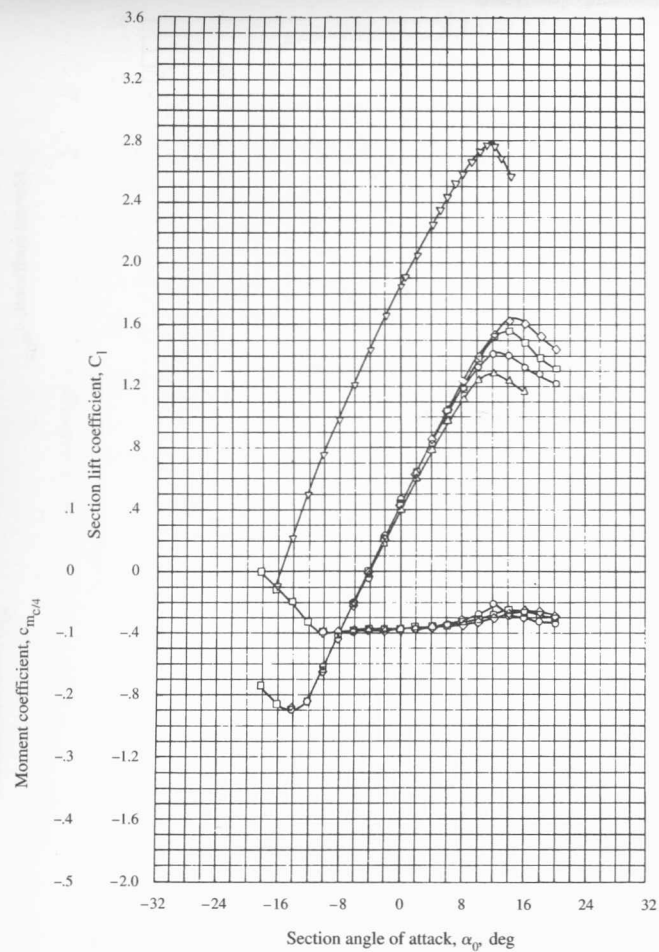
There are two methods of scaling. We have discussed the Prandtl method. However, a second method is the



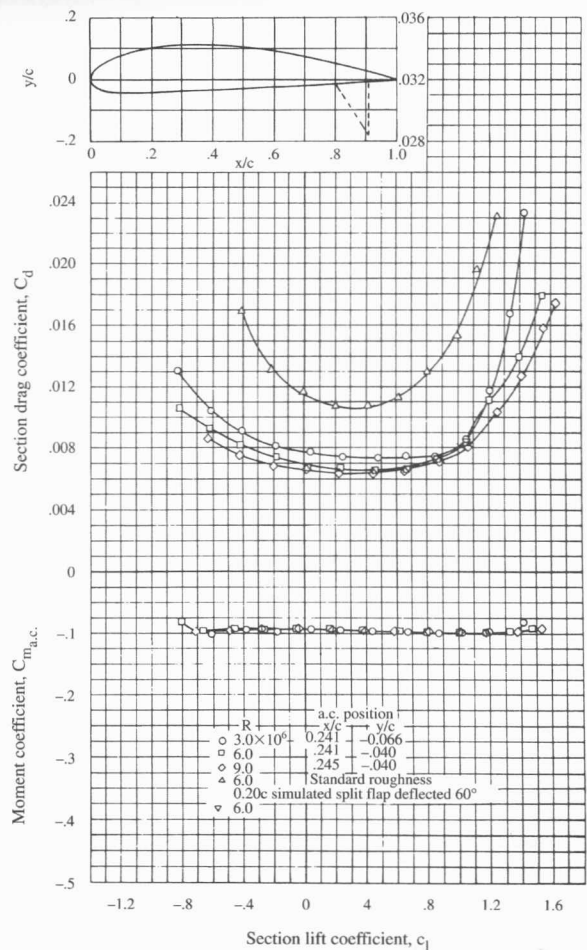
Aerodynamic characteristics of the NACA 2415 airfoil section, 24-inch chord.



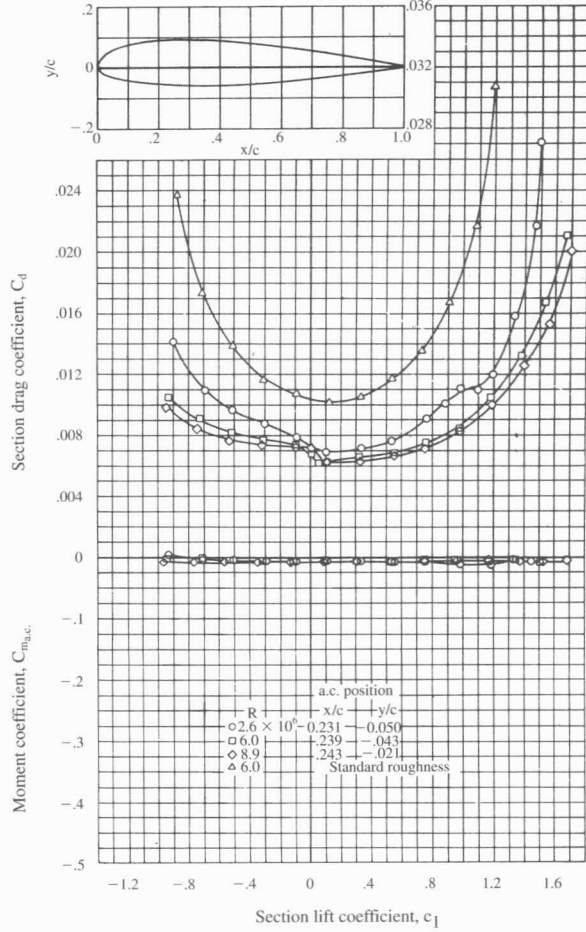
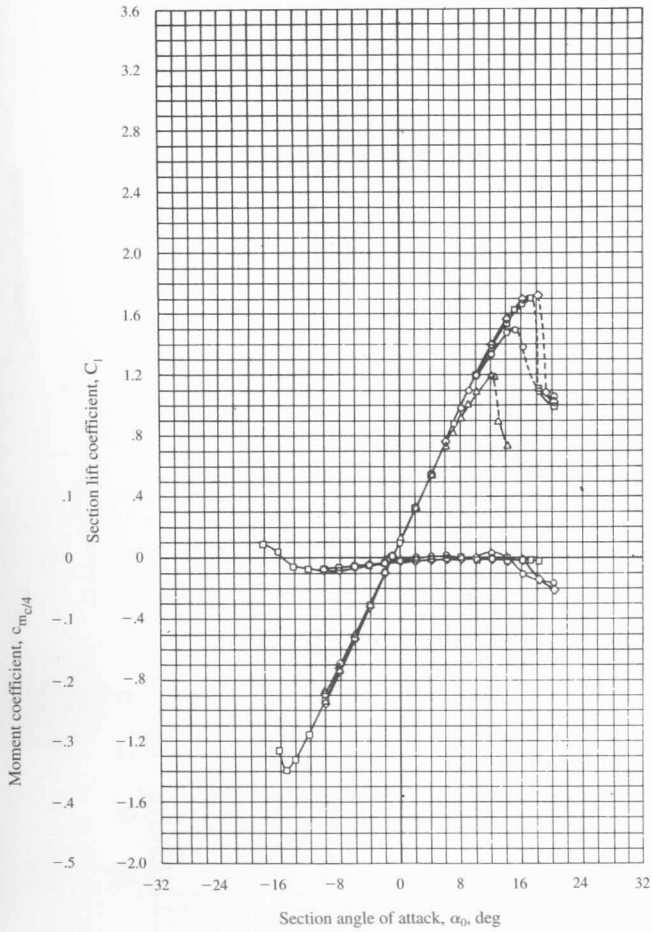
NACA 2415



Aerodynamic characteristics of the NACA 4415 airfoil section, 24-inch chord.

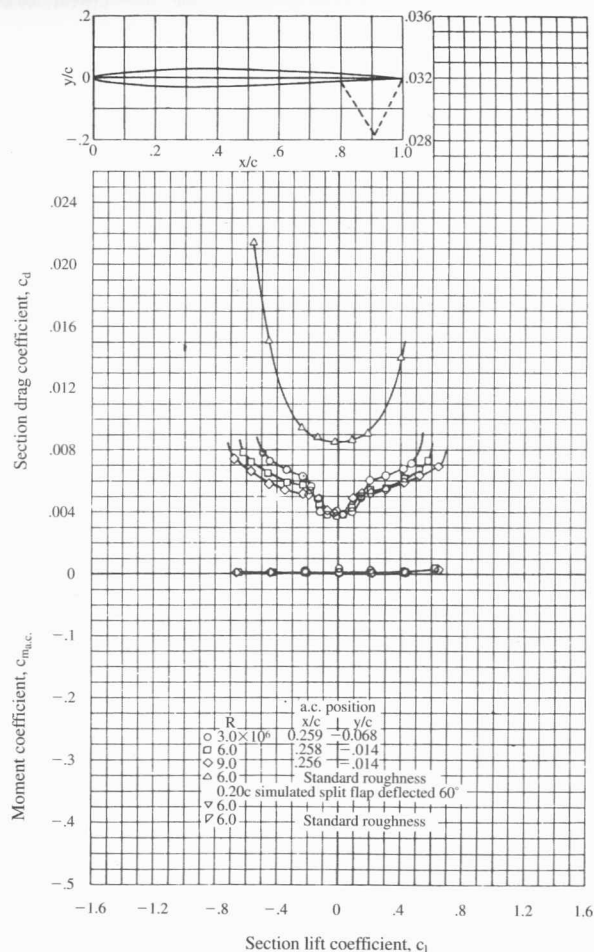
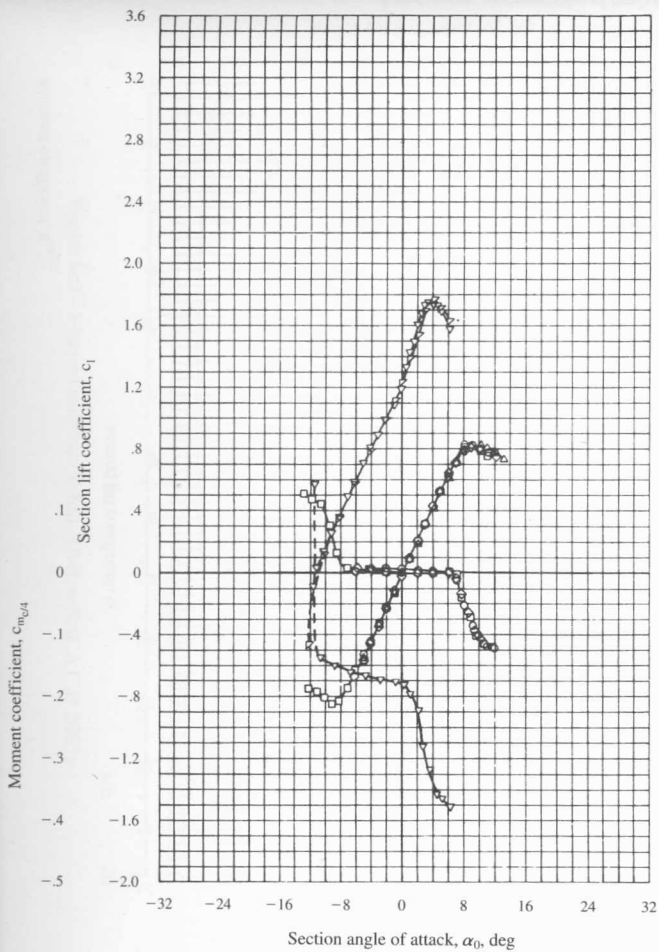


NACA 4415



Aerodynamic characteristics of the NACA 23015 airfoil section, 24-inch chord.

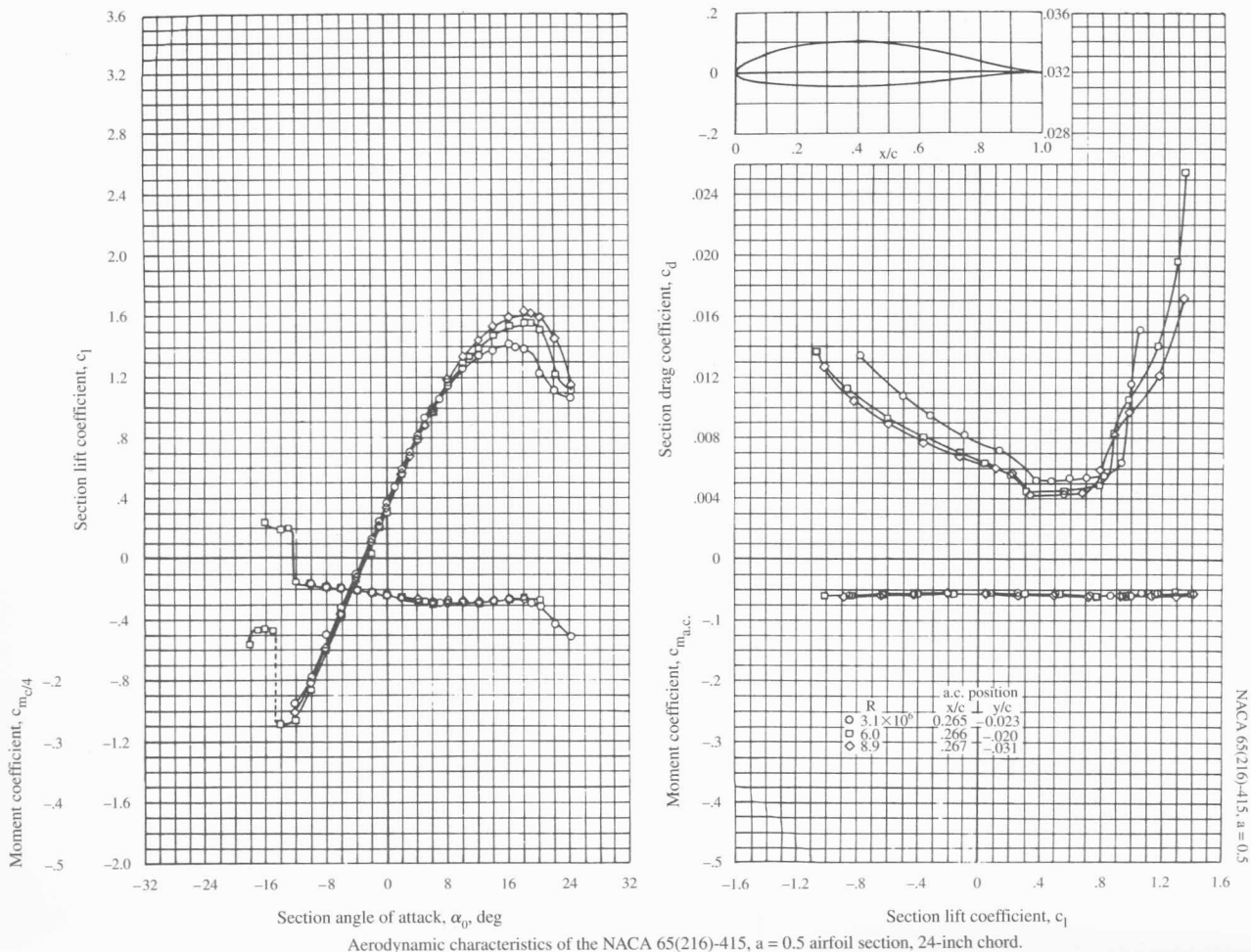
NACA 23015



Aerodynamic characteristics of the NACA 64-006 airfoil section, 24-inch chord.

NACA 64-006

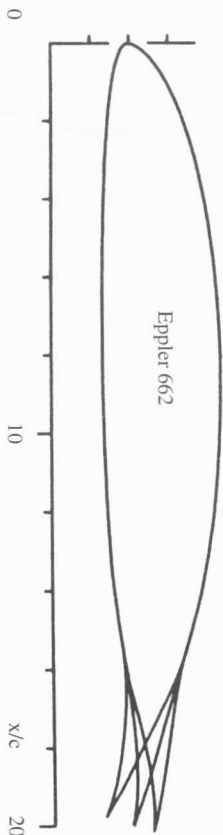




Airfoil Coordinates  
Eppler 662

PROFIL N	X	Y	PROFIL N	X	Y
0	100.000	0.000	31	.239	.770
1	99.642	.118	32	.003	-.074
2	98.640	.483	33	.351	-.733
3	97.117	1.056	34	1.336	-1.289
4	95.113	1.745	35	2.879	-1.785
5	92.609	2.516	36	4.966	-2.210
6	89.626	3.395	37	7.571	-2.567
7	86.231	4.390	38	10.668	-2.858
8	82.500	5.493	39	14.221	-3.088
9	78.528	6.682	40	18.189	-3.264
10	74.435	7.890	41	22.522	-3.392
11	70.276	8.968	42	27.165	-3.474
12	65.983	9.824	43	32.061	-3.512
13	61.519	10.489	44	37.148	-3.506
14	56.922	10.988	45	42.363	-3.456
15	52.232	11.331	46	47.642	-3.357
16	47.501	11.525	47	52.919	-3.206
17	42.776	11.570	48	58.130	-2.993
18	38.108	11.470	49	63.214	-2.702
19	33.541	11.225	50	68.116	-2.302
20	29.121	10.841	51	72.841	-1.742
21	24.891	10.324	52	77.449	-1.061
22	20.891	9.681	53	81.940	-.382
23	17.159	8.923	54	86.229	.169
24	13.729	8.062	55	90.177	.509
25	10.631	7.113	56	93.628	.611
26	7.892	6.094	57	96.423	.500
27	5.535	5.024	58	98.431	.276
28	3.578	3.926	59	99.613	.077
29	2.037	2.828	60	100.000	-.000
30	.921	1.761			

CM = -.1497  $\beta = 5.92^\circ$



Eppler 662 - Flapped sailplane airfoil. (Ref. = NACA C.P. 2085)